

Interpretations of recent MINOS results

Joachim Kopp

Short Baseline Neutrino Workshop, May 13, 2011



Outline

- 1 The MINOS experiments and (some of) its results
- 2 Explanation attempts
 - Low statistics?
 - A systematic error?
 - “Real” CPT violation?
 - Effective CPT violation: Neutrino matter effects?
 - A CP -violating charged current interaction?
 - Non-standard neutrino interactions in renormalizable models
- 3 A common explanation for MINOS and SBL results?
- 4 Conclusions

Hinchcliffe's theorem

“When a title is in the form of a question,
the answer is always NO.”

see, however:

IS HINCHLIFFE'S RULE TRUE? ·

Boris Peon

Abstract

Hinchcliffe has asserted that whenever the title of a paper is a question with a yes/no answer, the answer is always no. This paper demonstrates that Hinchcliffe's assertion is false, but only if it is true.

Outline

- 1 The MINOS experiments and (some of) its results
- 2 Explanation attempts
 - Low statistics?
 - A systematic error?
 - “Real” CPT violation?
 - Effective CPT violation: Neutrino matter effects?
 - A CP -violating charged current interaction?
 - Non-standard neutrino interactions in renormalizable models
- 3 A common explanation for MINOS and SBL results?
- 4 Conclusions

Disclaimer

I'm not a member of the MINOS collaboration
I take the full blame for this talk.

The MINOS experiment



Beam:

- ν_μ ($\bar{\nu}_\mu$) from decay in flight of π^+ (π^-)
- Intrinsic backgrounds: **wrong-sign** ν_μ, ν_e from π, K, μ decays

Far detector:

- 5.4 kt magnetized iron / solid scintillator

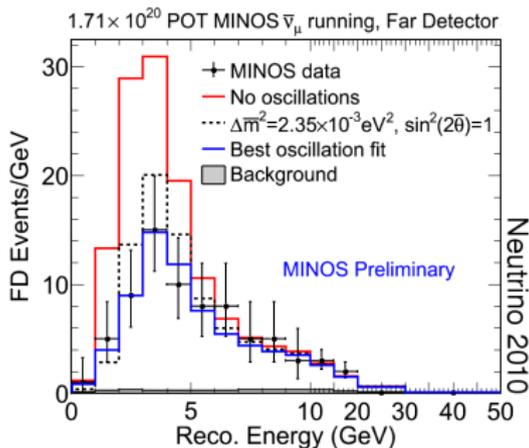
Near detector:

- Similar to the far detector but smaller
- Goal: Reduction of **systematic uncertainties**



Image credit: MINOS collaboration, <http://www.numi.fnal.gov/>

MINOS $\nu_\mu, \bar{\nu}_\mu$ disappearance data



$\bar{\nu}_\mu$ data

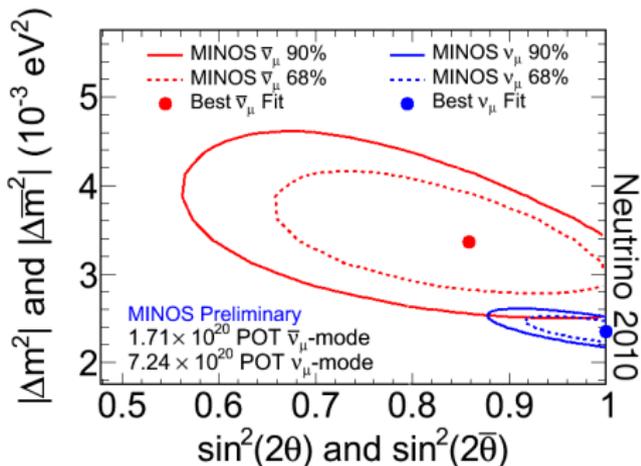


Image credit: MINOS collaboration, <http://www.numi.fnal.gov/>

This result first presented by P. Vahle at Neutrino 2010, see also arXiv:1104.0344

- Two-flavor fits: $P(\nu_\mu \rightarrow \nu_\mu) = 1 - \sin^2 2\theta \sin^2 \frac{\Delta m^2 L}{4E}$
- Separate fits for neutrinos and anti-neutrinos differ at **98%** confidence level.

Outline

1 The MINOS experiments and (some of) its results

2 Explanation attempts

- Low statistics?
- A systematic error?
- “Real” CPT violation?
- Effective CPT violation: Neutrino matter effects?
- A CP -violating charged current interaction?
- Non-standard neutrino interactions in renormalizable models

3 A common explanation for MINOS and SBL results?

4 Conclusions

Explanation attempts

- **Low statistics?**

$\bar{\nu}_\mu$ sample is about 20 times smaller than ν_μ sample.

⇒ Effect might go away with more statistics

Explanation attempts

- **Systematic effect?**
I can only speculate ...

CPT violation?

Why not just CP violation?

- $\nu_\mu \rightarrow \nu_\mu$ is a T -invariant process
- By virtue of CPT , it must conserve CP .
- **Note:** CP violation in interactions is a possibility—see later

Phenomenological parameterizations

- Assume mixing matrices for ν and $\bar{\nu}$ to be completely independent and perform global fit

- Introduce Lorentz- and CPT -violating operators like $A_\mu \bar{\psi} \gamma^\mu \psi$
(with A_μ a constant 4-vector)

Barenboim Lykken arXiv:0908.2993

Dighe Ray arXiv:0802.0121

A model of spontaneous CPT violation

- **Ghost condensation** ($\langle \partial_0 \phi \rangle \neq 0$) on a distant brane in 5D.
 \Rightarrow preferred frame
- **Right-handed neutrinos** propagating in the bulk couple to $\partial_\mu \phi$ and to ν_L .
- After ghost-condensation, **Lorentz-violating neutrino mass terms** are generated.

Mukohyama Park arXiv:1009.1251

Effective CPT violation: Neutrino matter effects

In the Standard Model:

$$\begin{aligned}\mathcal{L}_{\text{eff}} &\sim -2\sqrt{2}G_F [\bar{e}\gamma^\mu P_L \nu_e] [\bar{\nu}_e \gamma_\mu P_L e] \\ &\sim -2\sqrt{2}G_F [\bar{e}\gamma^\mu P_L e] [\bar{\nu}_e \gamma_\mu P_L \nu_e]\end{aligned}$$

In ordinary matter

$$\begin{aligned}\langle \bar{e}\gamma^0 e \rangle &= n_e & \langle \bar{e}\vec{\gamma} e \rangle &\sim \langle \vec{v}_e \rangle = 0 \\ \langle \bar{e}\gamma^0 \gamma^5 e \rangle &\sim \langle \vec{\sigma}_e \vec{p}_e / E_e \rangle = 0 & \langle \bar{e}\vec{\gamma} \gamma^5 e \rangle &\sim \langle \vec{\sigma}_e \rangle = 0\end{aligned}$$

Potential felt by electron neutrinos in ordinary matter:

$$V = \sqrt{2}G_F n_e$$

Sign changes for $\nu_\mu \leftrightarrow \bar{\nu}_\mu$

⇒ **Effective CPT violation** due to CPT -asymmetric background matter

In the SM, these effects are **far too small** to explain MINOS ν_μ disappearance data since they are **suppressed** by θ_{13} , $\Delta m_{21}^2 / \Delta m_{31}^2$

Non-standard matter effects

Consider a neutral current (NC) **non-standard interaction** (NSI) of the form

$$\mathcal{L}_{\text{NSI}} \sim -2\sqrt{2}G_F \epsilon_{\alpha\beta}^f [\bar{f}\gamma^\mu f] [\bar{\nu}_\alpha \gamma_\mu P_L \nu_\beta] \quad f = e, \mu, \tau,$$

leading to **off-diagonal** (flavor-violating) and/or **non-universal** matter potential. In the flavor basis,

$$V = \sqrt{2}G_F n_e \begin{pmatrix} 1 + \epsilon_{ee} & \epsilon_{e\mu} & \epsilon_{e\tau} \\ \epsilon_{e\mu}^* & \epsilon_{\mu\mu} & \epsilon_{\mu\tau} \\ \epsilon_{e\tau}^* & \epsilon_{\mu\tau}^* & \epsilon_{\tau\tau} \end{pmatrix}.$$

The oscillation probability is

$$P(\nu_\alpha \rightarrow \nu_\beta) = |\langle \nu_\beta | e^{-iHt} | \nu_\alpha \rangle|^2, \quad H = \frac{1}{2E} U \begin{pmatrix} 0 & & \\ & \Delta m_{21}^2 & \\ & & \Delta m_{31}^2 \end{pmatrix} U^\dagger + V.$$

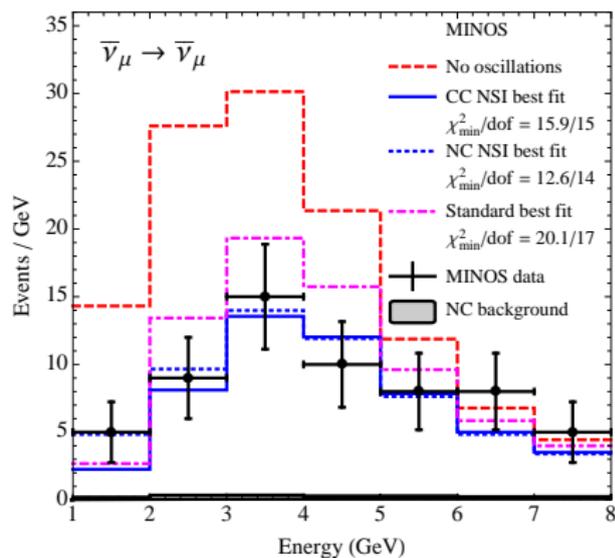
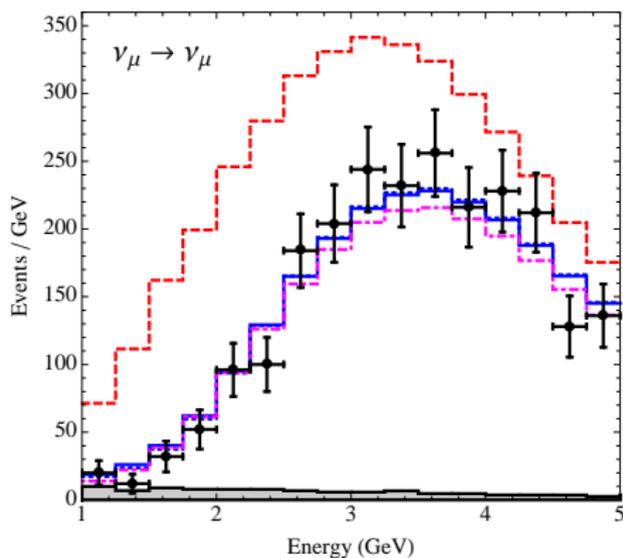
For $\bar{\nu}$: $U \rightarrow U^*$, $V \rightarrow -V$
 \Rightarrow **Effective CPT violation**

Non-standard matter effects in the μ - τ sector

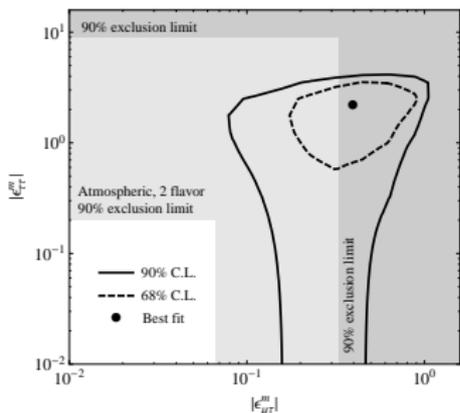
$$\Delta m_{\text{eff}}^2 = [(\Delta m_{32}^2 \cos 2\theta_{23} + (\epsilon_{\tau\tau} - \epsilon_{\mu\mu})A)^2 + |\Delta m_{32}^2 \sin 2\theta_{23} + 2\epsilon_{\mu\tau}A|^2]$$

$$\sin^2 2\theta_{\text{eff}} = |\Delta m_{32}^2 \sin 2\theta_{23} + 2\epsilon_{\mu\tau}A|^2 / \Delta m_N^4,$$

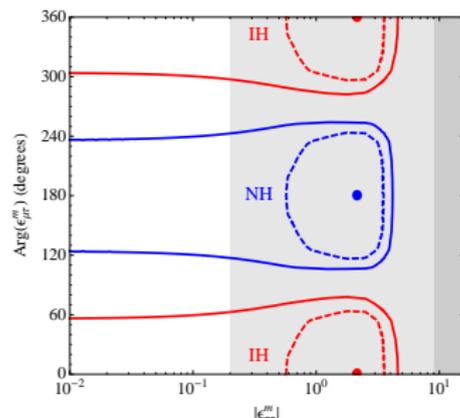
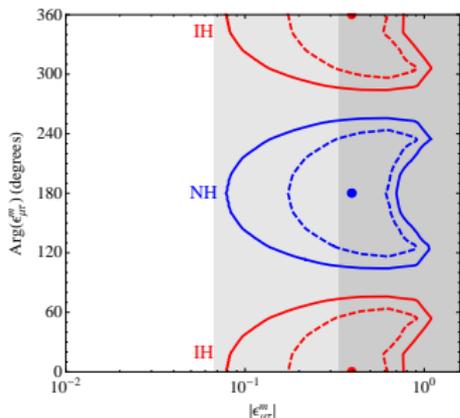
(with $A = A = 2\sqrt{2}G_F n_e E$)



Non-standard matter effects in the $\mu\text{-}\tau$ sector (2)



- $|\epsilon| \gtrsim 0.1$ required (almost as strong as SM weak interactions)
- **Consistent** with constraints on $\epsilon_{\mu\tau}$ from CHARM ($\nu_\mu e \rightarrow \nu e$) and NuTeV ($\nu_\mu q \rightarrow \nu q$)
- **Consistent** with constraints on $\epsilon_{\tau\tau}$ from Γ_{inv}^Z
- **Disfavored** by atmospheric neutrinos (These are 2-flavor limits, may not be robust)
- **Model-dependent constraints:** See later



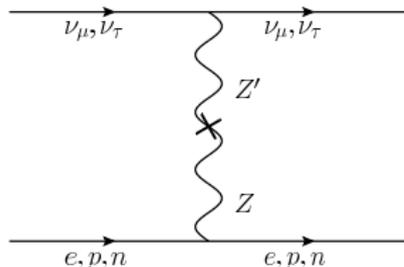
Similar analysis performed by
Mann Cherdack Musial Kafka
arXiv:1006.5720

Note: We included only the **low-energy** part of the MINOS spectrum. As shown in 1103.4365 the **high-E** part is important and makes the fit **worse**.

A new long-range force?

Heeck Rodejohann arXiv:1007.2655
Davoudiasl Lee Marciano arXiv:1102.5352

- A very light $L_\mu - L_\tau$ or $B - L_e - 2L_\tau$ gauge boson Z'
($m_{Z'} \lesssim 10^{-18}$ eV ~ 1 a.u. $^{-1}$)
- Very weak couplings ($\alpha \lesssim 10^{-50}$)
- Mixing with the SM Z



- ν_μ, ν_τ feel potential generated by the Sun (contribution from the Earth is ~ 3 times smaller)
- Since the Sun contains no anti-matter, and since ν and $\bar{\nu}$ have opposite $L_\mu - L_\tau$ and $B - L_e - 2L_\tau$ charges), this leads to effective CPT violation.
- Phenomenologically equivalent to $\epsilon_{\mu\mu}, \epsilon_{\tau\tau}$.

A CP -violating charged current interaction?

- Remember: $\nu_\mu \rightarrow \nu_\mu$ is CP -invariant
- **But:** π (source) $\rightarrow ??? \rightarrow \mu$ (detector) does not have to be.
- Two possibilities
 - ▶ Modified ν_μ flux at far detector, **but not** at near detector.
 ν_τ contamination in the NuMI beam?
 \Rightarrow **Ruled out by NOMAD.**
 - ▶ A new interaction of the form

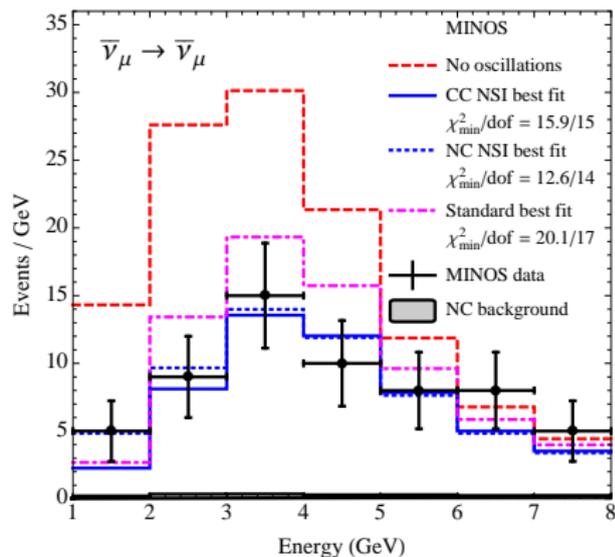
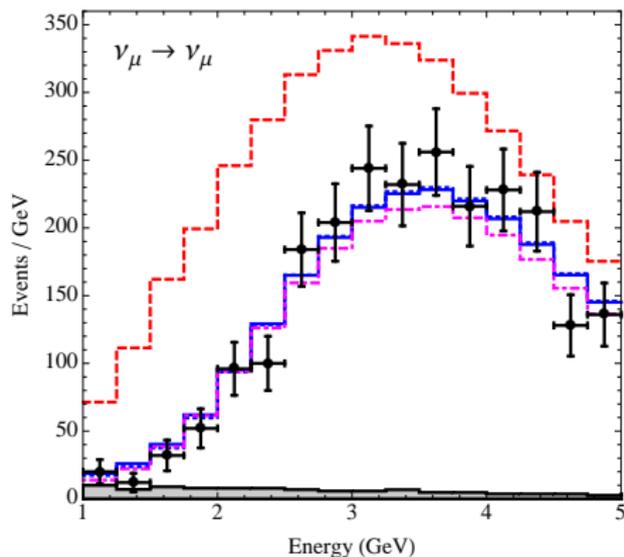
$$\nu_\tau + N \rightarrow X + \mu,$$

e.g.

$$\mathcal{L}_{\text{NSI}} \supset -2\sqrt{2}G_F\epsilon_{\tau\mu}^d V_{ud} [\bar{u}\gamma^\rho d] [\bar{\mu}\gamma_\rho P_L\nu_\tau] + h.c.$$

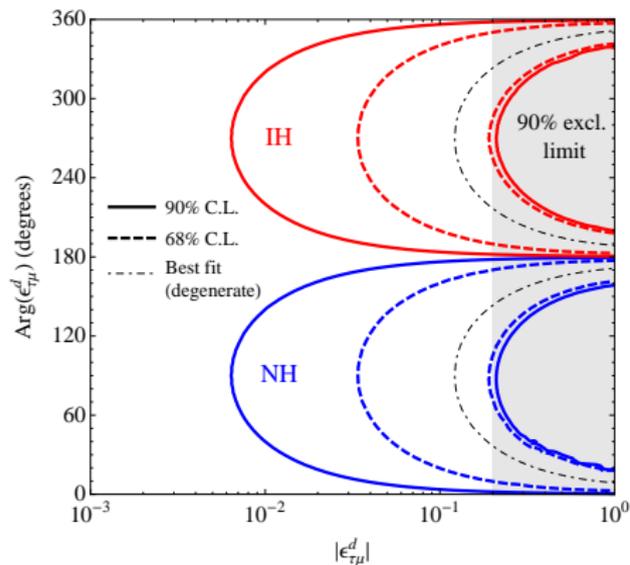
- If the new interaction is **vector-like**, it will not contribute to $\pi \rightarrow \mu\nu_\tau$, which is constrained by NOMAD.

A CP -violating charged current interaction? (2)



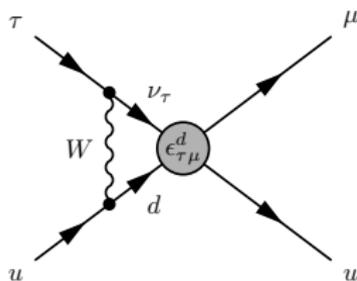
JK Machado Parke arXiv:1009.0014

A CP -violating charged current interaction? (3)



JK Machado Parke arXiv:1009.0014

- $|\epsilon| \gtrsim 0.1$ required (almost as strong as SM weak interactions)
- Consistent with model-independent constraint from $\tau \rightarrow \mu + \text{hadrons}$



(Model-independent = consider only log-divergent part)

- Hard to embed in a renormalizable model

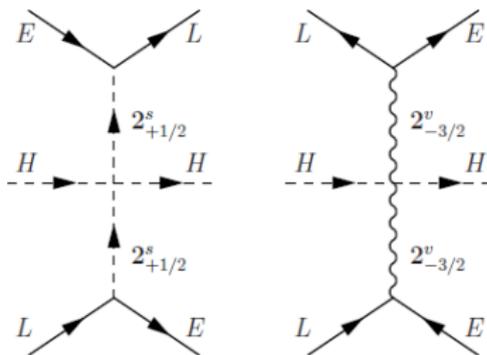
Non-standard interactions from heavy new physics

Aim: Relate NSI operators to **renormalizable** model

- $SU(2)$ invariant operators for neutrino NSI are usually **accompanied by charged lepton NSI**, which are heavily constrained.
(Exception: NC $[\bar{\nu}_\tau \nu_\tau][\bar{f}f]$ couplings)

see e.g. Antusch Baumann Fernández-Martínez arXiv:0807.1003
Gavela Hernandez Ota Winter arXiv:0809.3451

- One way out: **Dimension 8 operators**, e.g. $[\bar{E}^c \gamma^\rho L_\alpha][\bar{L}^\beta \gamma_\rho E^c \delta]$



- ▶ Requires **new mediators**
- ▶ Requires **cancellation** between couplings to avoid large **dim-6** effects.

Non-standard interactions from light new physics

- Many constraints on NSI come from **high-energy** ($\gtrsim \mathcal{O}(\text{GeV})$) processes.
- On the other hand, assume new mediator(s) with **very small masses** m and with **extremely** weak coupling g

Nelson Walsh arXiv:0711.1363; Engelhardt Nelson Walsh arXiv:1002.4452

- ▶ high-energy cross sections/rates suppressed by g^4
 - ▶ **Coherent forward scattering** ($q^2 = 0$) only suppressed by $(g^2 \sin^2 \theta_w / e^2)(M_W^2 / m^2)$ compared to SM weak interactions
 - ▶ ... can be **relatively large**
- Light new physics also motivated by **Dark Matter** (Sommerfeld enhancement)
 - ... and can potentially explain **DAMA, CoGeNT, CRESST** signals

Pospelov 1103.3261, Harnik JK Machado, in progress (ASK MEI)

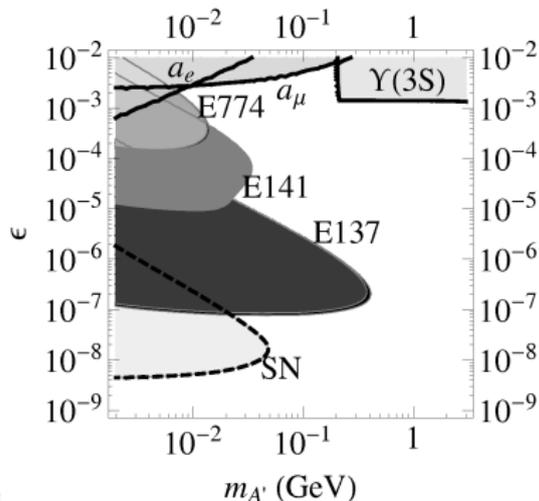


figure from Bjorken Essig Schuster Toro arXiv:

Outline

- 1 The MINOS experiments and (some of) its results
- 2 Explanation attempts
 - Low statistics?
 - A systematic error?
 - “Real” CPT violation?
 - Effective CPT violation: Neutrino matter effects?
 - A CP -violating charged current interaction?
 - Non-standard neutrino interactions in renormalizable models
- 3 A common explanation for MINOS and SBL results?
- 4 Conclusions

A common explanation for MINOS and SBL results?

- If **SBL anomalies** are due to **sterile neutrinos** . . .
 - ▶ Any **CPT-conserving** oscillation phenomenon will affect ν_μ and $\bar{\nu}_\mu$ in MINOS in **the same way**
- If **SBL anomalies** are due to **some new type of neutrino interaction**
 - ▶ The **only conceivable** new interaction that explains MINOS seems to be one involving ν_τ
 - ▶ **No ν_τ at short baseline** → need **several** new interactions to explain everything
 - ▶ **Hard to reconcile** with constraints from charged leptons
- More **exotic ideas**
 - ▶ **Sterile neutrinos** *and* **new interactions**
 - Many parameters, **loss of predictivity**
 - **One sterile neutrino** probably still not sufficient

Outline

- 1 The MINOS experiments and (some of) its results
- 2 Explanation attempts
 - Low statistics?
 - A systematic error?
 - “Real” CPT violation?
 - Effective CPT violation: Neutrino matter effects?
 - A CP -violating charged current interaction?
 - Non-standard neutrino interactions in renormalizable models
- 3 A common explanation for MINOS and SBL results?
- 4 Conclusions

Conclusions

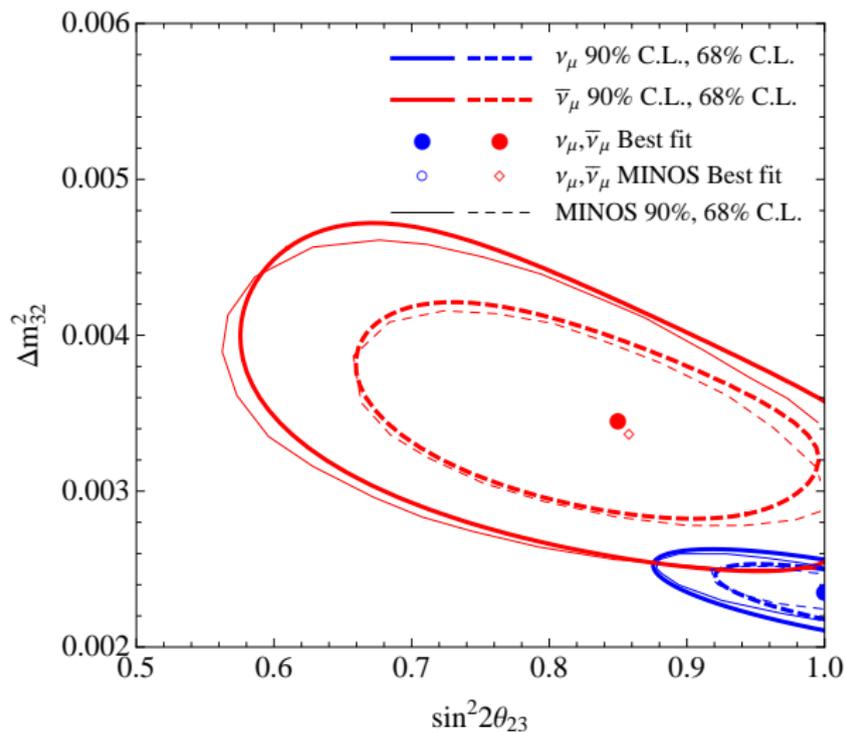
- MINOS sees interesting, **but not yet conclusive**, **discrepancy** between **neutrino** and **anti-neutrino** oscillations
- Explanation attempts
 - ▶ Low statistics
 - ▶ Systematic uncertainty?
 - ▶ **CPT violation** (can be spontaneous)?
 - ▶ **Non-standard matter effects** or new **long-range force**
... **difficult to reconcile with atmospheric neutrinos**
 - ▶ Modified **charged current interactions**
... **difficult for model-building**
- Possible sources of **new physics** in neutrino oscillations
 - ▶ Only **flavor-non-universal** or **flavor-violating** effects detectable
 - ▶ **Heavy new physics**: Small effects, usually **easier to see in charged leptons**
 - ▶ **Light new physics**: Well motivated, and **neutrino matter effects** are an interesting **discovery channel**
- The **MINOS anomaly** and the **short-baseline anomalies** seem to be **independent effects** so far

The future

- **New experiments** will hopefully **confirm** or **refute** the anomalies
- A **reanalysis** of **older experimental data** is desirable:
 - ▶ The **considerable tension** in the **global fit** indicates that **some results are probably wrong**.
- **Theorists** have to **understand the origin of the anomalies** if they persist

Thank you!

Verification of our simulation



Non-standard matter effects in the μ - τ sector

Two-flavor calculation leads to

$$P(\nu_\mu \rightarrow \nu_\mu) = 1 - \sin^2 2\theta_N \sin^2 \left(\frac{\Delta m_N^2 L}{4E} \right)$$

with

$$\begin{aligned} \Delta m_N^2 &= [(\Delta m_{32}^2 \cos 2\theta_{23} + \epsilon_{\tau\tau} A)^2 \\ &\quad + |\Delta m_{32}^2 \sin 2\theta_{23} + 2\epsilon_{\mu\tau} A|^2] \\ \sin^2 2\theta_N &= |\Delta m_{32}^2 \sin 2\theta_{23} + 2\epsilon_{\mu\tau} A|^2 / \Delta m_N^4, \end{aligned}$$

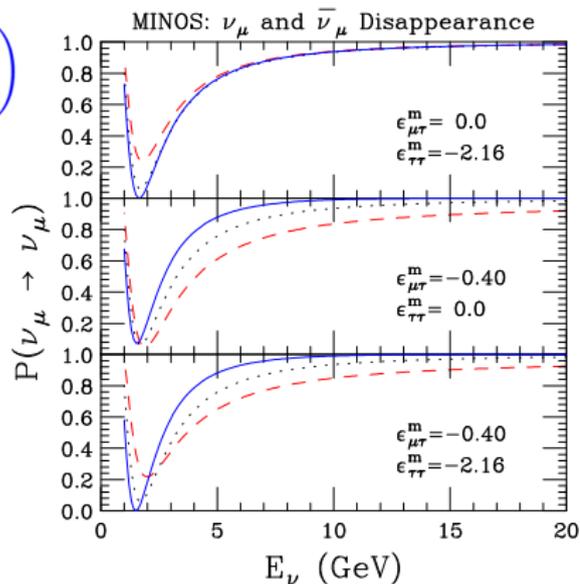
and $A = A = 2\sqrt{2}G_F n_e E$. (we set $\epsilon_{\mu\mu} = 0$ since flavor-universal terms can be subtracted from V)

Note the following symmetries:

$$\arg(\epsilon_{\mu\tau}) \rightarrow 2\pi n - \arg(\epsilon_{\mu\tau})$$

$$\epsilon_{\mu\tau} \rightarrow -\epsilon_{\mu\tau}, \quad \epsilon_{\tau\tau} \rightarrow -\epsilon_{\tau\tau}, \quad \Delta m_{32}^2 \rightarrow -\Delta m_{32}^2,$$

$$\epsilon_{\tau\tau} \rightarrow -\epsilon_{\tau\tau}, \quad \theta_{23} \rightarrow \frac{\pi}{2} - \theta_{23}.$$



Non-standard charged current interactions

“Apparent” oscillation probability:

$$\begin{aligned} \tilde{P}(\nu_\mu \rightarrow \nu_\mu) = & \\ & 1 - \left[1 + 2 |\epsilon_{\tau\mu}^d| \cot 2\theta_{23} \cos [\arg(\epsilon_{\tau\mu}^d)] - |\epsilon_{\tau\mu}^d|^2 \right] \sin^2 2\theta_{23} \sin^2 \left(\frac{\Delta m_{32}^2 L}{4E} \right) \\ & + 2 |\epsilon_{\tau\mu}^d| \sin 2\theta_{23} \sin [\arg(\epsilon_{\tau\mu}^d)] \sin \left(\frac{\Delta m_{32}^2 L}{4E} \right) \cos \left(\frac{\Delta m_{32}^2 L}{4E} \right) \end{aligned}$$

For anti-neutrinos:

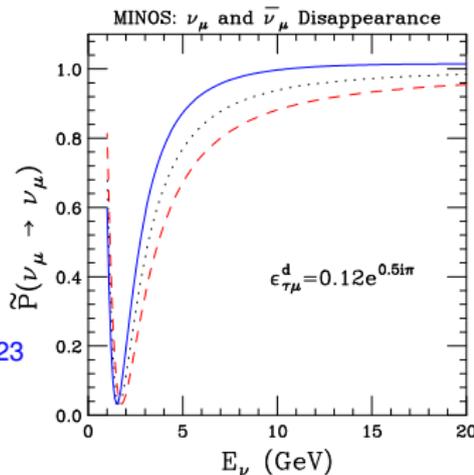
$$\arg(\epsilon_{\tau\mu}^d) \rightarrow -\arg(\epsilon_{\tau\mu}^d)$$

Symmetries:

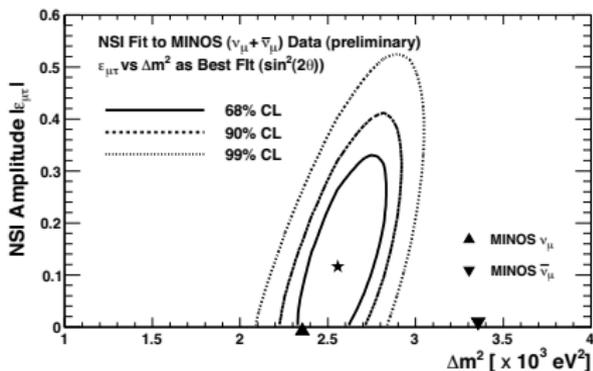
$$\arg(\epsilon_{\tau\mu}^d) \rightarrow 2\pi n - \arg(\epsilon_{\tau\mu}^d), \quad \Delta m_{32}^2 \rightarrow -\Delta m_{32}^2$$

$$\arg(\epsilon_{\tau\mu}^d) \rightarrow (2n + 1)\pi - \arg(\epsilon_{\tau\mu}^d), \quad \theta_{23} \rightarrow \frac{\pi}{2} - \theta_{23}$$

(The second of these can be generalized to a continuous symmetry.)



A similar analysis of NSI in the μ - τ sector



- Assume only $\epsilon_{\mu\tau} \neq 0$
- Fit to extracted **oscillation probability** rather than **spectrum**.
- Results agree with ours **qualitatively**, but not **quantitatively**.
- Possible reason: Fit to **probability** cannot fully include effect of **experimental energy resolution**

